Prefixes

 $a=10^{-18}, f=10^{-15}, p=10^{-12}, n=10^{-9}, \mu=10^{-6}, m=10^{-3}, c=10^{-2}, k=10^{3}, M=10^{6}, G=10^{9}, T=10^{12}, P=10^{15}, R=10^{15}, R=10^{15}$

Physical Constants

 $k = 1/4\pi\epsilon_0 = 8.988 \text{ GNm}^2/\text{C}^2$ (Coulomb's Law) $\epsilon_0 = 1/4\pi k = 8.854 \text{ pF/m}$ (permittivity of space) $e = 1.602 \times 10^{-19} \text{ C} \text{ (proton charge)}$ $\mu_0 = 4\pi \times 10^{-7} \text{ T} \cdot \text{m/A} \text{ (permeability of space)}$ $m_p = 1.67 \times 10^{-27} \text{ kg (proton mass)}$ $m_e = 9.109 \times 10^{-31}$ kg (electron mass) $c = 3.00 \times 10^8$ m/s (speed of light) $c = 2.99792458 \times 10^8$ m/s (exact value in vacuum) $h = 6.62607 \times 10^{-34}$ J·s (Planck's constant) $\hbar = 1.05457 \times 10^{-34}$ J·s (Planck's constant/ 2π) $\sigma = 5.67 \times 10^{-8} \text{ W/(m^2 \cdot K^4)}$ (Stefan-Boltzmann const.) $hc = 1239.84 \text{ eV} \cdot \text{nm}$ (photon energy constant)

Units

$$\begin{split} N_A &= 6.02 \times 10^{23} / \text{mole (Avogadro's } \#) \\ 1.0 \text{ eV} &= 1.602 \times 10^{-19} \text{ J (electron-volt)} \\ 1 \text{ F} &= 1 \text{ C/V} = 1 \text{ farad} = 1 \text{ C}^2 / \text{J} \\ 1 \text{ A} &= 1 \text{ C/s} = 1 \text{ ampere} = 1 \text{ coulomb/second} \\ 1 \text{ T} &= 1 \text{ N/A·m} = 1 \text{ tesla} = 1 \text{ newton/ampere-meter} \end{split}$$

1 u = 1 g/ N_A = 1.6605 × 10⁻²⁷ kg (mass unit) 1 V = 1 J/C = 1 volt = 1 joule/coulomb $1 \text{ H} = 1 \text{ V} \cdot \text{s}/\text{A} = 1 \text{ henry} = 1 \text{ J}/\text{A}^2$ $1 \Omega = 1 \text{ V/A} = 1 \text{ ohm} = 1 \text{ J} \cdot \text{s/C}^2$ $1 \text{ G} = 10^{-4} \text{ T} = 1 \text{ gauss} = 10^{-4} \text{ tesla}$

OpenStax Chapter 24 Equations - Electromagnetic Waves

Electromagnetic waves:

 $|\vec{E}|/|\vec{B}| = c = 1/\sqrt{\epsilon_0\mu_0}$, (fields and speed) $f\lambda = c$ (wave equation)

Energy density, intensity, power:

 $u = \epsilon_0 E^2 = \frac{B^2}{\mu_0} \quad \text{(instantaneous energy density)} \qquad \overline{u} = \frac{1}{2} \epsilon_0 E_0^2 = \frac{B_0^2}{2\mu_0} \quad \text{(average energy density)}$ $I = \overline{u}c = \frac{1}{2} \epsilon_0 E_0^2 c \quad \text{(EM waves intensity)} \qquad I = P/A = P/(4\pi r^2) \quad \text{(intensity definition)}$

Approximate wavelengths λ for types of EM waves:

0 (γ -rays) 30 pm (x-rays) 3 nm (uv) 400 nm (visible) 700 nm (ir) 300 μ m (μ -waves) 3 cm (radio) ∞

increasing wavelength \longrightarrow

OpenStax Chapter 28 Equations - Special Relativity

Time dilation and length contraction:

$$\begin{split} \Delta t &= \gamma \Delta t_0 = \Delta t_0 / \sqrt{1 - v^2/c^2} \\ \gamma &= 1 / \sqrt{1 - v^2/c^2} \quad \text{(relativistic factor)} \end{split}$$

Dyanmics, mass, energy:

 $p = \gamma m v$ (relativistic momentum) $E_0 = mc^2$ (rest energy) $KE = E - E_0 = (\gamma - 1)mc^2$ (kinetic energy) $\Delta(E_0 + \text{KE}) + \Delta \text{PE} = 0 \quad \text{(conservation of energy)}$

$$L = L_0/\gamma = L_0\sqrt{1 - v^2/c^2}$$

$$v/c = \sqrt{1 - 1/\gamma^2} \quad \text{(velocity)}$$

 $m_{\rm rel} = \gamma m$ (relativistic mass) $E = \gamma mc^2 = m_{\rm rel}c^2$ (relativistic energy) $E = E_0 + \text{KE} = \sqrt{p^2 c^2 + m^2 c^4}$ (relativistic energy) $\Delta \mathrm{PE}_{\mathrm{elec}} = q \Delta V \quad (\mathrm{electric \ potential \ energy})$

Blackbody radiation, photons, photo-electric effect:

$$\begin{split} \lambda_p T &= 2.90 \text{ mm} \cdot \text{K} \quad \text{(Wien's Law)} \\ E &= nhf, \ n = 1, 2, 3... \quad \text{(quantized radiation energy)} \\ E &= hf = W_0 + \text{KE}_{\text{max}} \quad \text{(photo-electrons)} \\ \text{KE}_{\text{max}} &= eV_0 \quad \text{(stopping potential)} \end{split}$$

Momentum, matter waves:

$$\begin{split} p &= h/\lambda \quad (\text{quantum momentum}) \\ \lambda &= h/p \quad (\text{de Broglie wavelength}) \\ \Delta \text{KE} + q \Delta V &= 0 \quad (\text{acceleration thru potential}) \end{split}$$

Heisenberg Uncertainty Principle:

 $\begin{array}{l} \Delta x \ \Delta p_x \approx h \quad (\text{approximate relation}) \\ \Delta E \ \Delta t \approx h \quad (\text{approximate relation}) \\ \Delta x \ \Delta p_x \geq \hbar/2 \quad (\text{has the minimum uncertainty}) \\ \Delta E \ \Delta t \geq \hbar/2 \quad (\text{energy-time form}) \\ \Delta E = \Delta m \cdot c^2 \quad (\text{Einstein's mass-energy equivalence}) \end{array}$

 $I = \sigma T^4 \quad \text{(intensity or power/area)} \\ E = hc/\lambda = (1240 \text{ eV} \cdot \text{nm})/\lambda \quad \text{(photons)} \\ hc/\lambda_{\text{max}} = W_0 \quad \text{(work function)} \\ v_{\text{max}} = \sqrt{2\text{KE}_{\text{max}}/m} \quad \text{(max. speed)} \end{cases}$

 $\begin{array}{l} \lambda' = \lambda + \frac{h}{mc}(1-\cos\phi) \quad (\text{Compton effect}) \\ \text{KE} = p^2/2m \quad (\text{kinetic energy}, \, v \ll c) \\ v = \sqrt{2q\Delta V/m} \quad (\text{acceleration thru potential}, \, v \ll c) \end{array}$

 $h=6.626\times 10^{-34}~{\rm J\cdot s}$

 $\hbar = \frac{h}{2\pi} = 1.05459 \times 10^{-34} \text{ J} \cdot \text{s}$

 \leftarrow This has exact equality.

OpenStax Chapter 30 Equations - Atomic Physics

magnetic quantum number $m_l = -l$ to +l

orbital (2 states) = particular (n, l, m_l) are given.

spin quantum number $m_s = -\frac{1}{2}, +\frac{1}{2}$

shell $(2n^2 \text{ states}) = a \text{ value of } (n)$ is given.

Bohr Model: $hf = E_n - E_{n'} \quad (\text{quantum jump}) \qquad \qquad L = mvr = n\frac{h}{2\pi} \quad (\text{Bohr's quantization}) \\
r_n = \frac{n^2}{Z}r_1 \quad (\text{Bohr radii}) \qquad \qquad r_1 = \frac{h^2}{4\pi^2 m k e^2} = 52.9 \text{ pm} \quad (1^{\text{st}} \text{ Bohr radius}) \\
E_n = -(13.6 \text{ eV})\frac{Z^2}{n^2} \quad (\text{Bohr energies}) \qquad \qquad E_n = \frac{1}{2}mv^2 - \frac{kZe^2}{r_n} \quad (\text{total energy}) \\
n = 1, 2, 3, \dots \quad (\text{Bohr's quantum number}) \qquad \qquad E = hc/\lambda = (1240 \text{ eV} \cdot \text{nm})/\lambda \quad (\text{photons}) \end{aligned}$ Quantum numbers for atoms: principle quantum number n = 0, 1, 2, 3...orbital quantum number l = 0, 1, 2...(n-1) $E_n = -(13.6 \text{ eV})/n^2 \quad (\text{energy of hydrogen states}) \\
L = \sqrt{l(l+1)} \hbar \quad (\text{angular momentum magnitude})$

> $L_z = m_l \hbar$ (z-component of \vec{L}) $S_z = m_s \hbar$ (z-comp., spin angular momentum) sub-shell [2(2 ℓ + 1) states] = values of (n, l) are given. state = particular (n, l, m_l, m_s) are given.

l=0,1,2,3,4,5,6... are indicated with respective letters: s, p, d, f, g, h,...

Pauli exclusion principle: No two electrons in an atom can occupy the same quantum state. Subshells in order of increasing energy: 1s, 2s, 2p, 3s, 3p, 4s, 3d, 4p, 5s, 4d, 5p, 6s, 4f, 5d, 6p, 7s, 5f, 6d, 7p (They fill in order of increasing n + l, but higher n is higher energy if there is a tie.)

Group Group Group Group Group Group Group Group **Transition Elements** Ĩ Π III IV V VI VII ·VIII H 1 He 2 1.00794 4.002602 151 $1s^2$ Li 3 Be Symbol Cl 17 **Atomic Number** 4 C B 5 6 N 7 8 F 9 0 Ne 10 Atomic Mass[§] 6.941 9.012182 35.4527 12.0107 14.00674 15.9994 10.811 18,9984032 20,1797 252 251 3p5 $2p^1$ $2p^2$ $2p^3$ $2p^5$ $2p^4$ $2p^6$ **Electron Configuration** (outer shells only) Na 11 Mg 12 Al 13 Si 14 15 S P 16 Cl 17 Ar 18 22.989770 24.3050 26.981538 28.0855 30.973761 32.066 35.4527 39.948 3.52 351 3pt $3p^2$ 3p6 3p3 $3p^4$ 3p5 K 19 Ca 20 Sc 21 **Ti** 22 V 23 Cr 24 Mn 25 Fe 26 Co 27 Ni 28 Ga 31 Ge 32 Cu 29 **Zn** 30 As 33 Se 34 Br 35 Kr 36 39.0983 40.078 44.955910 47.867 50.9415 51.9961 54.938049 55.845 58.933200 58.6934 63.546 65.39 69,723 72.61 74.92160 78.96 79.904 83.80 451 4s2 3d14s2 $3d^{2}4s^{2}$ $3d^{3}4s^{2}$ 3d5451 3d54s2 3d64s2 3d74s2 3d84s2 3d104s1 3d104s2 $4p^1$ $4p^2$ $4p^3$ $4p^4$ 4p5 4p6 Sr 38 **Rb** 37 Y 39 Zr 40 Nb 41 Mo 42 Tc 43 Ru 44 Rh 45 Pd 46 In 49 Sn 50 Sb 51 Ag 47 Cd 48 Te 52 I 53 Xe 54 85.4678 87.62 88.90585 91.224 92.90638 95.94 (98) 101.07 102.90550 106.42 107.8682 112.411 114.818 118,710 121.760 127.60 126.90447 131.29 551 5s2 4d15s2 $4d^{2}5s^{2}$ 4d45s1 4d5551 $4d^{5}5s^{2}$ 4d'5s1 4d85s1 4d10550 4d105s1 $5p^2$ 4d105s2 $5p^1$ $5p^3$ $5p^4$ 505 5p6 Cs 55 **Hf** 72 **Ta** 73 W 74 Ba 56 57-71[†] Re 75 **Os** 76 Au 79 **TI** 81 Ir 77 Pt 78 Hg 80 Pb 82 **Bi** 83 Po 84 At 85 **Rn** 86 132,90545 137.327 178.49 180.9479 183.84 186.207 190.23 192.217 195.078 196.96655 200.59 204.3833 207.2 208.98038 (209) (210) (222)6s1 $6s^2$ 5d26s2 5d36s2 5d46s2 5d56s2 5d66s2 5d76.52 5d96s1 5d106s1 5d106s2 $6p^2$ 6p3 $6p^1$ 6p4 605 606 Fr 87 Ra 88 89-103[‡] **Rf** 104 Sg 106 **Db** 105 **Bh** 107 Hs 108 Mt 109 **Ds** 110 111 112 (223)(226) (261) (262) (266) (264) (269) (268) (271) (272) (277) 751 $7s^2$ $6d^27s^2$ $6d^{3}7s^{2}$ 6d47s2 6d 57s2 6d67s2 6d77s2 6d97s1 6d107s1 6d107s2

Periodic	Table	of the	Elements[§]

[†] Lanthanide Series	La 57 138.9055 5d ¹ 6s ²	Ce 58 140.115 4f ¹ 5d ¹ 6s ²	140.90765		(145)	Sm 62 150.36 4f ⁶ 5d ⁰ 6s ²	151.964	157.25	158.92534	162.50	164.93032	167.26	Tm 69 168.93421 4f ¹³ 5d ⁰ 6s ²	173.04	174.967
[‡] Actinide Series	Ac 89 (227.02775) 6d ⁱ 7s ²			U 92 238.0289 5f ³ 6d ¹ 7s ²	Np 93 (237) 5f ⁴ 6d ¹ 7s ² .	(244)	(243)	(247)	(247)	(251)	(252)	(257)	(258)	(259)	Lr 103 (262) 5f ¹⁴ 6d ¹ 7s ²

Stomic mass values averaged over isotopes in the percentages they occur on Earth's surface. For unstable elements, mass of the longest-lived known isotope is given in parentheses. 2003 revisions. (See also Appendix B.)